

HOW MONEY FLOW STATISTICS CAN BE USED TO DETECT MONEY LAUNDERING ACTIVITY IN GRAPH-BASED FINANCIAL CRIME DETECTION

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INTRODUCTION

- **Money laundering (ML)** refers to the movement of illicit funds to conceal their origin and make them appear to come from legitimate sources. [1]
- In a **graph representation** of a financial network, **vertices** represent **accounts** and **edges** represent **transactions**.
- In order to **detect** money laundering in graph representations of financial data, two approaches have been explored:

- **Supervised**, which requires **labelled data** to be trained.
- **Unsupervised**, which relies on **graph structure**, rather than label-based training

Unsupervised approaches include **dense subgraph detection** algorithms, which are vulnerable to **camouflage** and **graph mining** approaches, which are limited to a **fixed set** of **laundering patterns**.

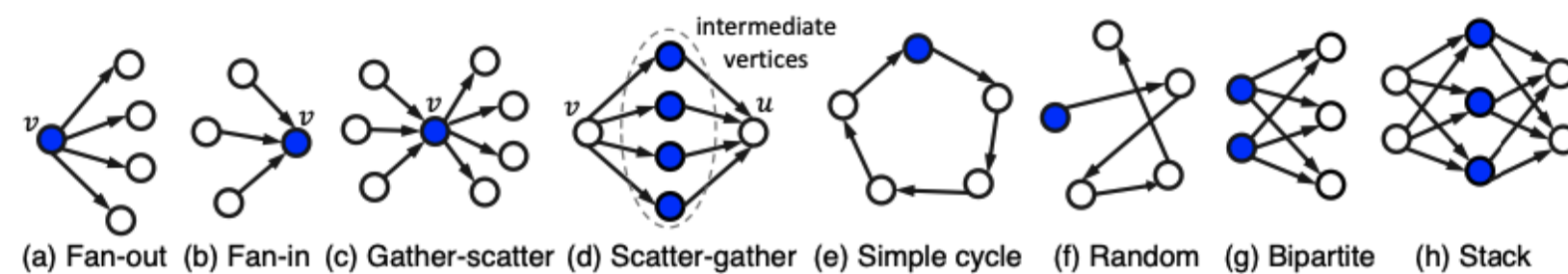


Figure 1 - Laundering patterns [1]

Supervised approaches include **Graph Neural Networks**. They require a **large number** of both positive and negative **labels**, which in general can be **costly**, and even **impossible**, to acquire. [3]

Literature proposes **flow statistics analysis**, an **unsupervised** technique which allows for detection of money laundering in **multi-step transfers** without relying on pre-defined **subgraph patterns**.

The paper aims to explore **how** the **flow statistics**-based methods can be **used** for money **laundering detection** by answering **two research sub-questions**:

1. **What are the existing solutions using money flow statistics?**
2. **How would the money flow statistics methods perform on a realistic dataset of transactions?**

PRELIMINARIES

Directed multigraphs

- Directed graphs which allow **multiple edges** between the **same two accounts** and **cycles** within the graph.

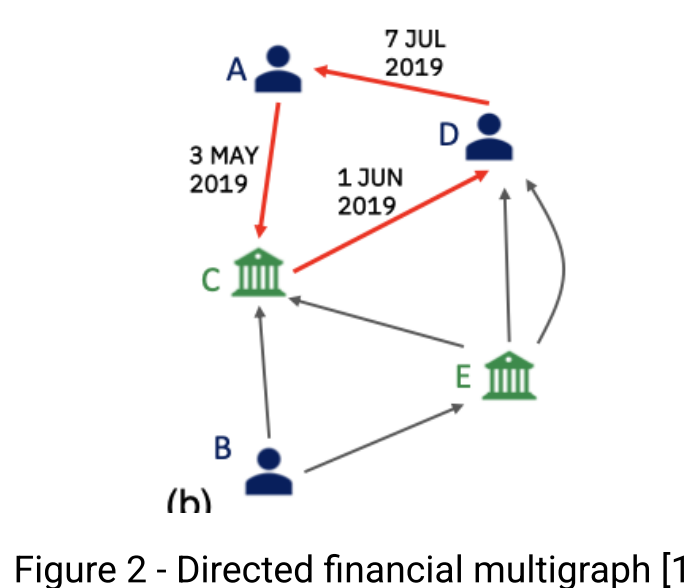


Figure 2 - Directed financial multigraph [1]

Multipartite graphs

- Directed graphs with **vertex set partitioned** in a number of **disjoint partitions**.
- A node of partition **i** can **only** have **edges towards** nodes of partition **i+1**.

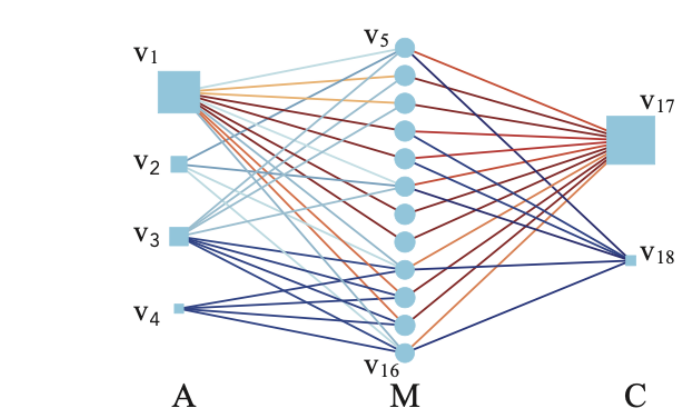


Figure 3 - Tripartite financial graph [4]

Tensors

- N-dimensional arrays which are able to express **multiple relations** of any order.
- **Graphs** can only represent **source** and **destination**, **tensors** can represent **multiple dimensions** (e.g. **time**).

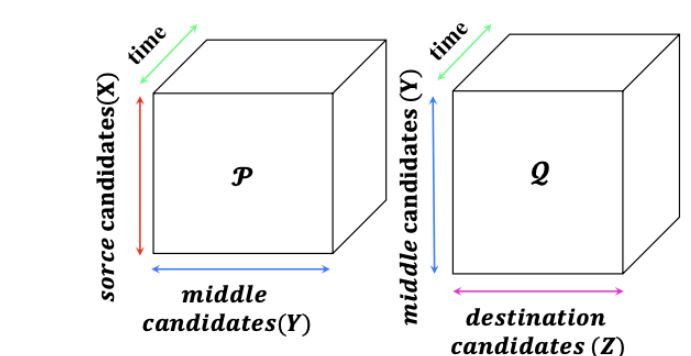


Figure 4 - Pair of coupled tensors [5]

Money Flow Statistics

- Information obtained from **analysing** the amount of **money received** (*inflow*) or **sent** (*outflow*) by an account.

Three properties of money laundering [5]:

- **Density**: Due to limited amount of available accounts, middle accounts have a very dense inflow and outflow.
- **Zero-Out**: Middle accounts transfer out most of their inflow.
- **Fast-In/Fast-Out**: Transfers through middle accounts happen quickly.

Network Flow Analysis

- Transfer of money from a source **s** to a sink **t** through a network obeying **capacity constraints** at edges and **conservation** at nodes.
- The **maximum flow problem** focuses on the **maximum** amount of **money flowing** from the **source** that can fully reach the **sink**, while **obeying all constraints** of the network
- Maximum flow algorithms determine the **maximum** amount of **flow**, along with all **edges** that **carry** it

BACKGROUND

FlowScope [4]

- Works on **multipartite** graphs of length **k**.
- Identifies suspicious nodes with **high volume** (high *inflow* & *outflow* → **Density**) and **low retention** (low amount of money left in the middle account, $\max(\text{inflow}, \text{outflow}) - \min(\text{inflow}, \text{outflow}) \rightarrow \text{Zero-Out}$)
- Returns the **subgraph** with the **highest average anomalousness**. (highlighted in Fig. 5)

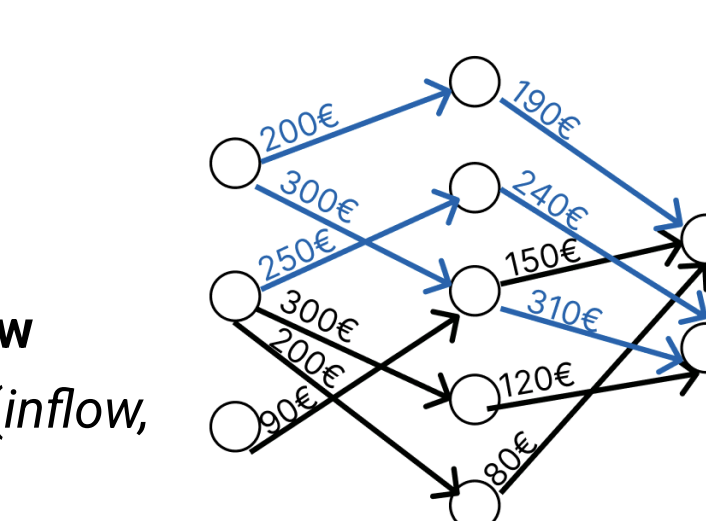


Figure 5 - Subgraph identified by FlowScope

CubeFlow [5]

- Works on pairs of coupled tensors .
- Same logic as FlowScope for considering **Density** and **Zero-Out**. Additionally considers time through **time binning** of transactions.
- Performs the extraction of **suspicious blocks** on transactions that happen in the **same time bin**, to satisfy **Fast-In/Fast-Out**. (highlighted in Fig. 6)

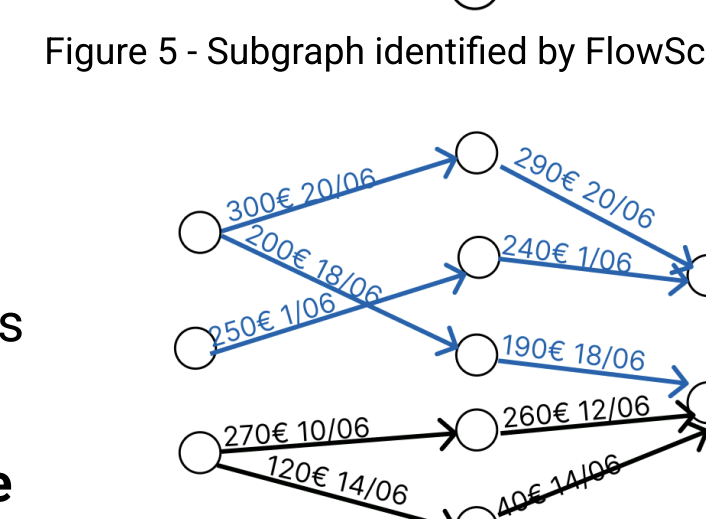


Figure 6 - Subgraph identified by CubeFlow

WeirdFlows [6]

- Used to generate a top-down **search pipeline** which highlights the **amount of flow** on a specific **path**, during a specific **interval** (shown in Fig. 7)
- Computes **all paths** between two nodes, calculates **maximum flow** as the **sum** of the **minimum edge** weights on each path and **compares** within **multiple time bins**.

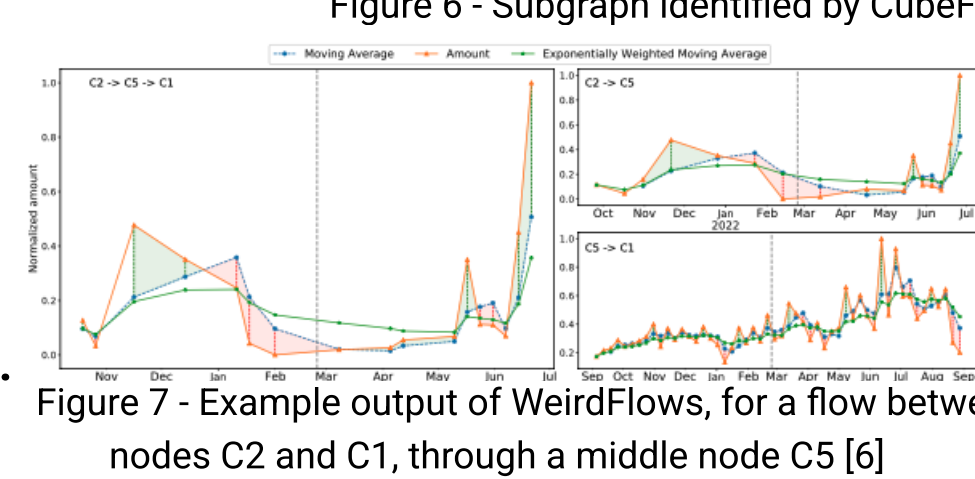


Figure 7 - Example output of WeirdFlows, for a flow between nodes C2 and C1, through a middle node C5 [6]

DenseFlow [7]

- Extracts a **dense subset** of **suspicious nodes S*** from a directed multigraph based on a **joint suspiciousness** composed of **topological**, **temporal** and **monetary** characteristics
- Joins S* with a **subset F** carrying the **maximum flow** from a laundering **source** to the dense subgraph S*, using a **maximum flow algorithm**.

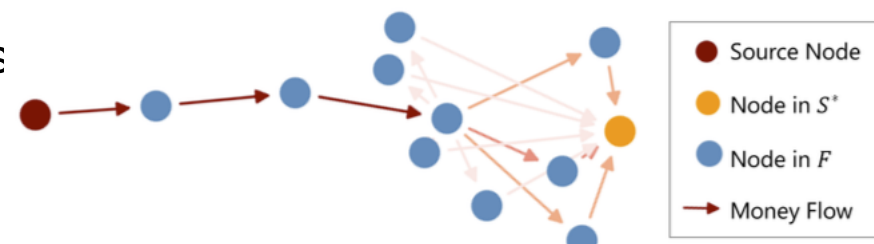


Figure 8 - Subgraph identified by DenseFlow. [7]

SMoTeF [3]

- Extracts **smurf patterns** from a directed multigraph of transactions.
- **Filters** out patterns which are **temporally infeasible** (Fig. 9c)
- Uses the **maximum flow algorithm** to compute the maximum flow of patterns. **Filters** out patterns with **very low flow** (Fig. 9b)
- Outputs a set of smurf patterns with a **high temporal flow** (Fig. 9a)

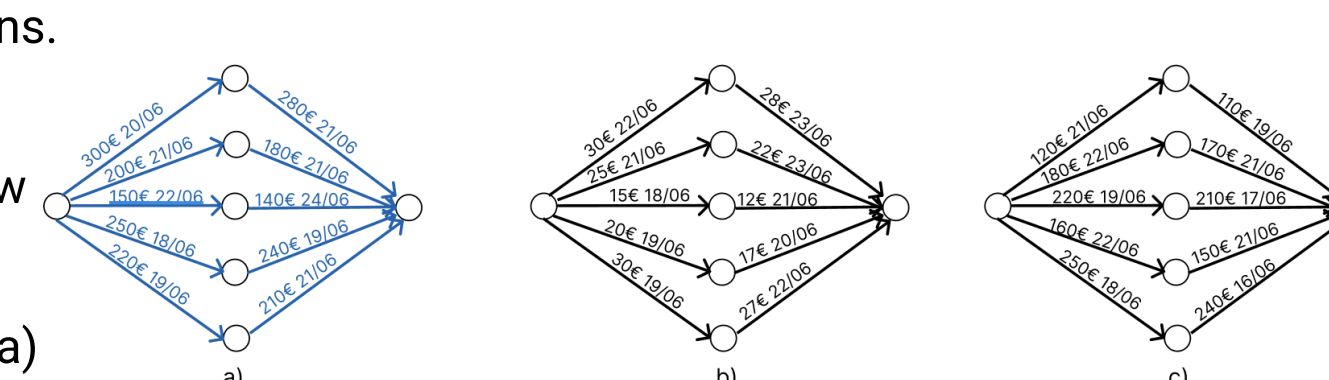


Figure 9 - Smurf patterns filtered out by SMoTeF (b, c)

METHODOLOGY

Evaluation of the algorithms has been performed on **real datasets** with **synthetically injected** patterns, designed to fit the suspiciousness metric of each algorithm. These patterns are **highly unrealistic**.

Therefore, the analysis proves correctness, but not efficiency in a realistic setting.

The experiment aims to test the algorithms on a realistic dataset of transactions in order to observe and understand their limitations.

Dataset

- Dataset chosen is AMLWorld [1] which provides a **synthetic dataset** resembling a virtual world with **multiple interacting entities**, some of which could be money launderers

- **Interactions** between entities in AMLWorld are **complex**, providing **realism** to the dataset.

Evaluation Metric

- To measure the **accuracy** of the algorithms, a **minority class F1 score** is used with a minority in laundering transactions.

Pre-processing

FlowScope

- **Transaction normalization**: Convert all payments to EUR)
- **Parallel edge aggregation**: Sum up amounts of transactions between the same accounts
- **Conversion to multipartite format**: Convert directed multigraph (AMLWorld) to a multipartite format

CubeFlow

- **Time binning**: Assign time bins to transactions within a predefined time interval (e.g. 24h)
- **Conversion to coupled tensor format**: Two approaches: 1. Same as FlowScope for tripartite graph and 2. separate sources (outflow >> inflow) from destinations (inflow >> outflow) and select middle accounts connecting them.

DenseFlow

- **Time binning (24h)** and **Laundering pattern source extraction**.

SMoTeF

- **Short time binning (1min)**

RESULTS & DISCUSSION

FlowScope

- **F1 = 19.88%** for **full dataset**. Lowering the number of **legitimate** transactions **raises** up to **F1 = 45.60%** for 10% of legit transactions. This reveals two limitations:

1. **Real laundering chains** are small and dispersed, meaning that they are **overshadowed** by **very large transfers**.
2. The **large** amount of **noise** in the dataset **affects accuracy**, observed in the **increased F1** with **decreased noise**.

CubeFlow

- **F1 = 0.00%** for both pre-processing strategies. Analysis reveals two limitations:

1. CubeFlow can only analyse **one pair** of coupled tensors, meaning that it will **miss** all patterns **longer than 3**.
2. CubeFlow **expects** transactions to happen in the **same time bin**, however, transactions in AMLWorld laundering patterns are **loosely** spread across the total **timeframe**.

DenseFlow

- **F1 = 0.73%**. Additionally, set **F** is **empty** for most laundering patterns in the dataset. Two limitations are identified:

1. Laundering **patterns** are **isolated**, and thus most do **not** have a flow **path** towards a **dense subgraph**.
2. Laundering **patterns** in AMLWorld **do not fit** the **topological** and **temporal** suspiciousness metrics of DenseFlow.

SMoTeF

- **F1 = 19.05%** with **Precision = 1** and **Recall = 0.105**.

1. **Perfect precision** shows that there are **no false positives**, thus the maximum temporal **flow pruning** is **efficient**.
2. **Low recall** is caused by the fact that the algorithm extracts **only Scatter-Gather** patterns (Fig. 1)

CONCLUSION

- This work explores money flow statistics as a solution for money laundering detection.
- It answers the **first research sub-question** by identifying **five algorithms** which use money flow statistics to detect money laundering. The **second research sub-question** is answered by the **analysis of the algorithms**, whose **limitations** open the doors for **further research** regarding:
 1. **Zero-Out** detection formulas which put more emphasis on low residual rather than **density**.
 2. **Combining** money flow statistics with **graph mining** to extract **complex patterns** from multigraphs.
 3. **Dynamic time binning** which adapts to laundering **transactions** being spread **loosely** in **time**.

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