

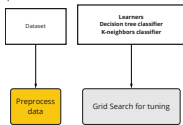
1. Background

- Context:** Learning curves display the measure of **accuracy on test data** against different amounts of **training data**.
- They can be modelled by parametric curve models
- Problem:** No optimal parametric model[1].
- Little research on effects of hyperparameter tuning

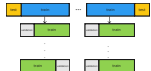
3. Method

General Learning curve

1. Preprocess data and setup appropriate learners



2. K stratified folds are created. Tuned learner undergoes k-cross validation. Default learner is trained on outer set



3. K learning curves are created which are then averaged to make a final general learning curve



Curve Fitting

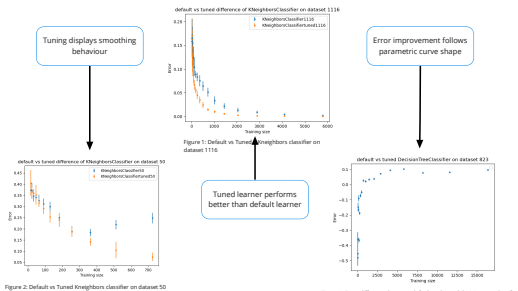
model	Formula
PW2	$\exp(-k)$
PW3	$\exp(-k^3)$
EXP2	$\exp(-k^2)$
EXP3	$\exp(-k^3)$
logp3	$\log^3(n - \frac{1}{2}) + 1$

Table 1: parametric learning curve models and their respective formulas where n is the varying training sizes

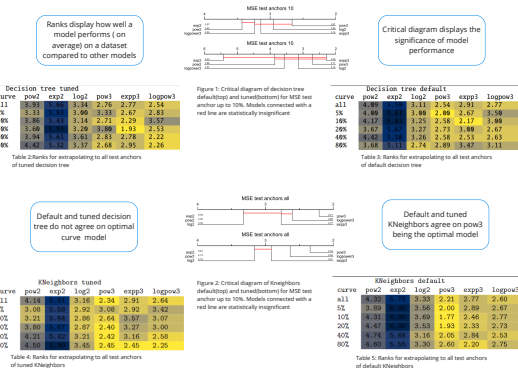
- Levenberg-Marquadt algorithm
- Random initial parameters
- Calculate MSE values (ranks)

4. Results

General Learning curve



Curve Fitting



5. Conclusion

- As training sizes increase, the tuned learner performs marginally better than default learner
- Tuned learner can make ill-behaved learning curves more well behaved
- Curve fitting for tuned learner is similar to that of the default learner

6. Discussion and Future Work

- Chosen parametric models have been empirically analysed as strong models
- More accurate curve fitting techniques
- Test on more datasets, learners, learning curve models
- Modelling the improvement in error between tuned learner and default learner

7. References

- Viering, T., & Loog, M. (2021). The shape of learning curves: a review. arXiv preprint arXiv:2103.10948.