

Regional Transferability of Graph Neural Networks for Traffic Forecasting

1 Background

- Modern traffic management systems require effective models for traffic forecasting
- Graph Neural Networks (GNN) show one of the best performance in traffic forecasting due to the ability to capture spatiotemporal dependencies [1]
- Transferability in traffic forecasting involves model training on one region's data and its application in another region
- It is assumed that GNN performance is strongly dependent on the spatial structure of the training and transfer traffic sensor graph [2]

2 Research questions

- What is the performance of the GNN model in the traffic forecasting of the training region?
- What is the performance of the same model on the unexplored structurally different regions?
- How does the structural difference between training and transfer regions correlate with the model's performance in the transfer region?

3 Methodology

- DCRNN [3] model was used as the main model and it was trained over a 10-sensor set and a 50-sensor set in the region of Los Angeles (METR-LA)
- Masked Mean Absolute Error (MAE) is used as the main performance measure, and Root Mean Squared Error (RMSE) is an additional
- Models were transferred to regions with a similar amount of sensors in the San Jose area (PEMS-BAY)
- Distance between areas was measured using Frobenius distance, Absolute Sum distance, and Cosine distance operating on graph adjacency matrixes
- Multiple masks (0, 20000 and 40000) were introduced to cover missing distance values in a graph adjacency matrix
- The correlation between distance and model performance was measured using Pearson coefficient
- Bucketed simulated annealing (BSA) approach was introduced to find graphs with diverse distances

$$\text{FroD}(A, B) = \sqrt{\sum_{i=1}^m \sum_{j=1}^n |a_{ij} - b_{ij}|^2}$$

$$\text{AbsSum}(A, B) = \sum_{i=1}^m \sum_{j=1}^n |a_{ij} - b_{ij}|$$

where:

A, B : compared matrices
 m, n : amount of rows and columns in the matrices
 a_{ij}, b_{ij} : values of a and b in the row i and column j

$$\text{CosD}(A, B) = \frac{1}{2} \left(\frac{1}{n} \sum_{i=1}^n 1 - \frac{\mathbf{A}_i \cdot \mathbf{B}_i}{\|\mathbf{A}_i\| \|\mathbf{B}_i\|} + \frac{1}{m} \sum_{j=1}^m 1 - \frac{\mathbf{A}_j \cdot \mathbf{B}_j}{\|\mathbf{A}_j\| \|\mathbf{B}_j\|} \right)$$

where:

$\mathbf{A}_i, \mathbf{B}_i$: the row vectors from matrices A and B
 $\mathbf{A}_j, \mathbf{B}_j$: the column vectors from matrices A and B

Figure 1: Graph distance metrics

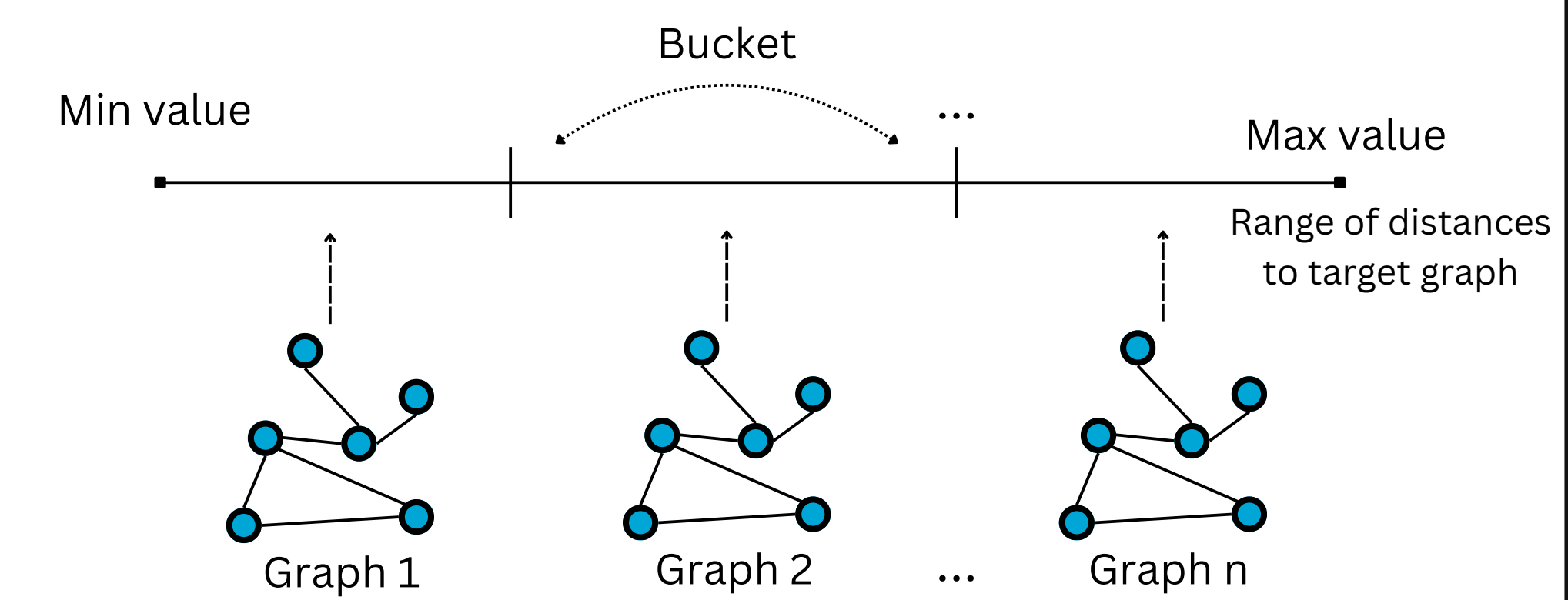


Figure 2: Bucketed simulated annealing visualization

4 Experiments and Results

Model performance in the training region

Dataset	MAE	RMSE
Full dataset	3.60	7.59
50-sensor subset	2.92	6.43
10-sensor subset	4.75	14.56

Table 1: Model performance for 1-hour predictions on sensors with historical data in METR-LA area

Transferred model performance in comparison with other models

Model	MAE	RMSE
STGCN	6.53	10.07
FC-LSTM	4.69	8.48
GMAN	4.05	7.57
DCRNN	3.3	6.91
50-sensor subset DCRNN	4.74±0.02	9.96 ±0.03
10-sensor subset DCRNN	3.75±0.04	7.78±0.07

Table 2: Transferred model performance on sensor sets in PEMS-BAY. The first 4 rows represent models trained on the full dataset [3]. The last 2 rows represent the average performance of the model tested on subsets of the dataset with the standard error

Example of transferred model predictions

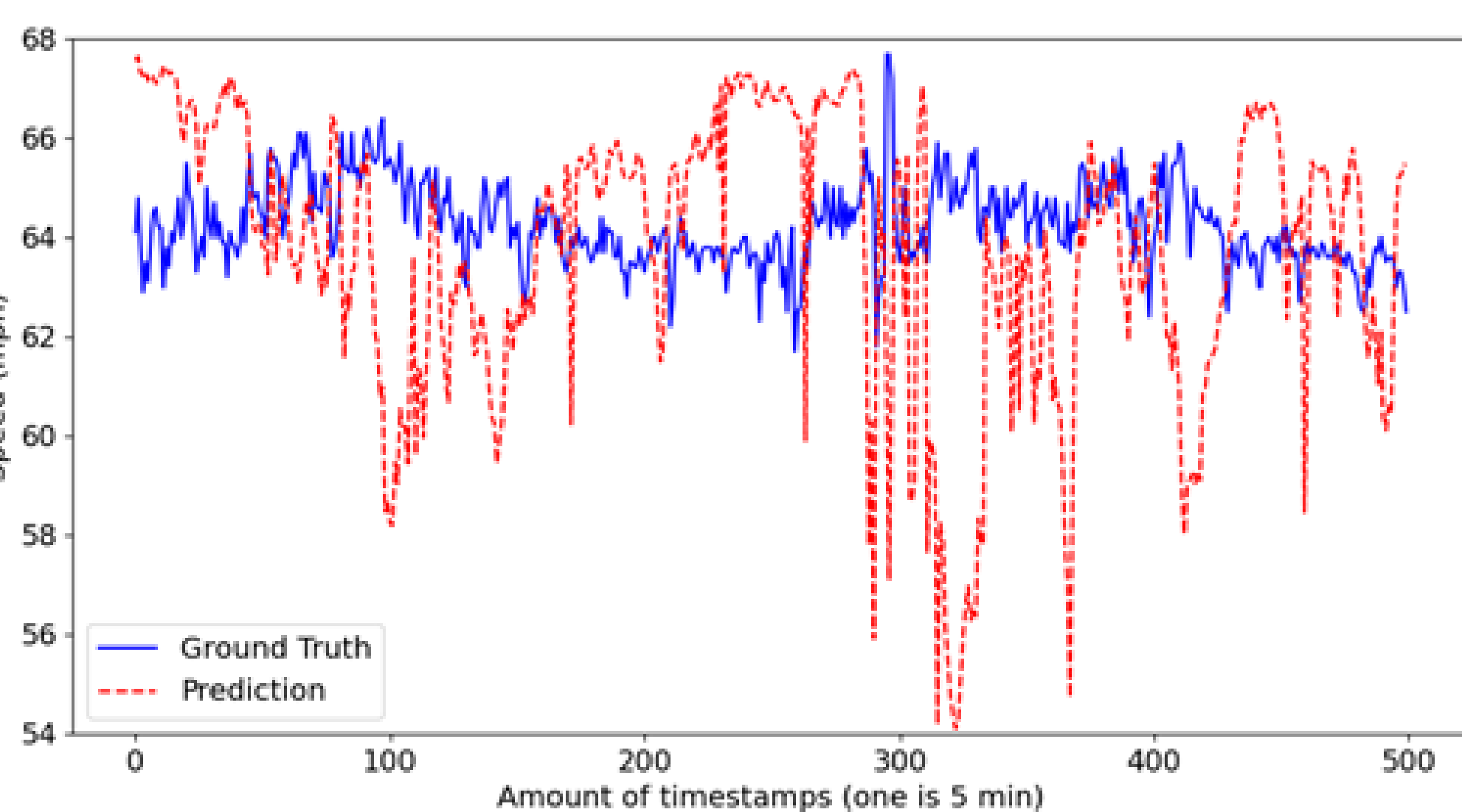


Figure 3: DCRNN predictions using 50-sensor model for one specific sensor, showing ground truth (blue) versus predictions (red)

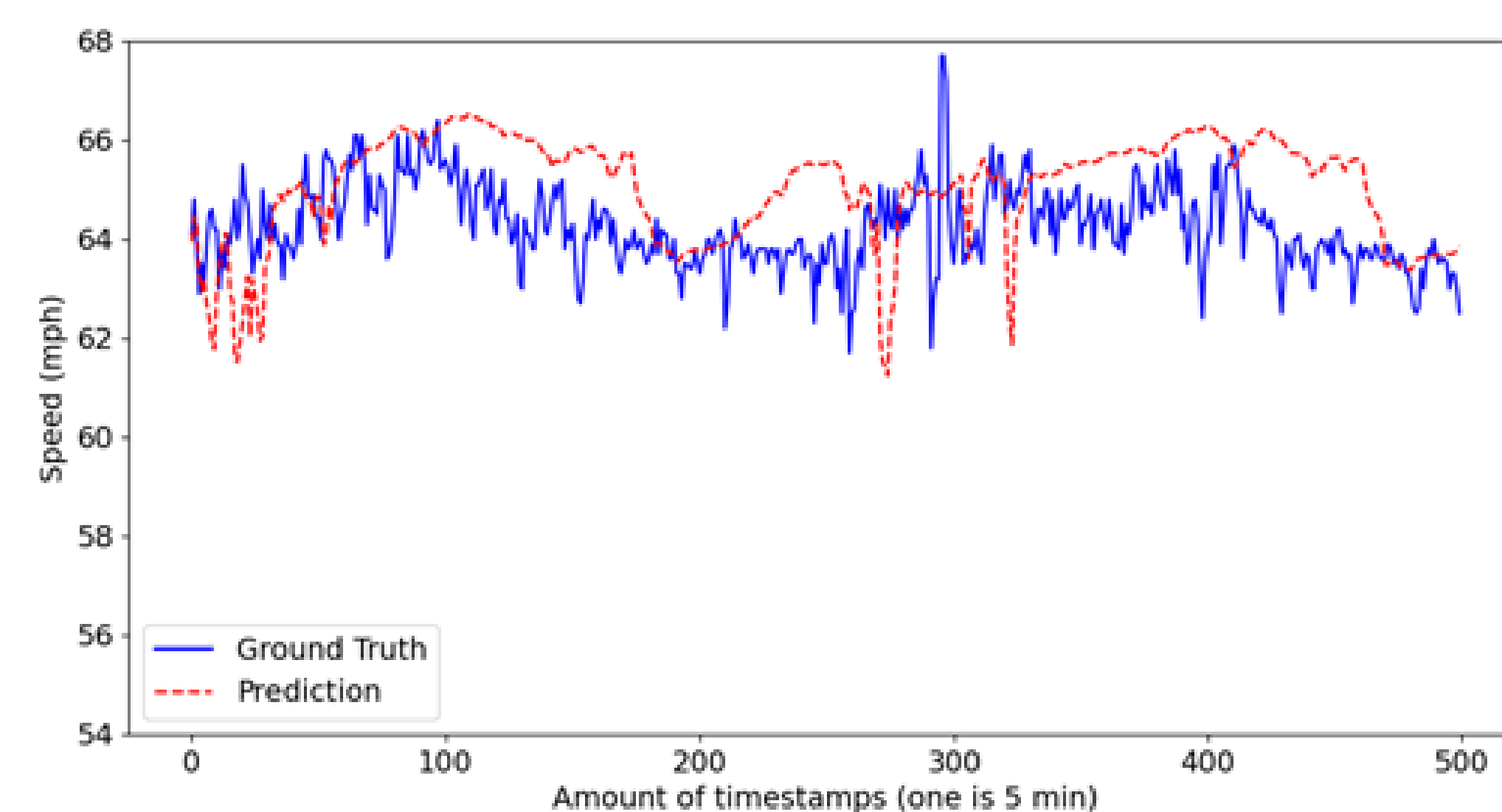


Figure 4: DCRNN predictions using 10-sensor model for one specific sensor, showing ground truth (blue) versus predictions (red)

5 Conclusions

- GNN performance is highly dependent on the selected training region
- Models trained on low spatial correlation regions transfer better by avoiding overfitting
- The structural differences between the training and transfer regions are not strongly correlated with the model's performance.
- The current graph distance metrics mostly capture incorrect regional spatial patterns

6 Future work

- Training the model for different datasets and regional scenarios
- Exploration of all the proposed metric configurations using BSA
- Exploration of other possibilities for the mask values and graph distance metrics
- Deeper exploration of the cosine metrics for the transferability

Correlation between graph distance and performance:

- Correlation values are weak to moderate
- Model error is bigger for graphs with smaller FroD and AbsSum distance (negative correlation)
- Weak positive correlation can be observed for CosD

Metric	50-sensor model	10-sensor model
CosD (20000 mask)	0.23	0.11
CosD (40000 mask)	0.4	0.35
FroD (0 mask)	-0.55	-0.32
AbsSum (0 mask)	-0.37	-0.24

Table 5: Correlation between graph distances and performance of the 50-sensor and 10-sensor models for the transfer graphs selected using BSA

Example of best-observed correlation

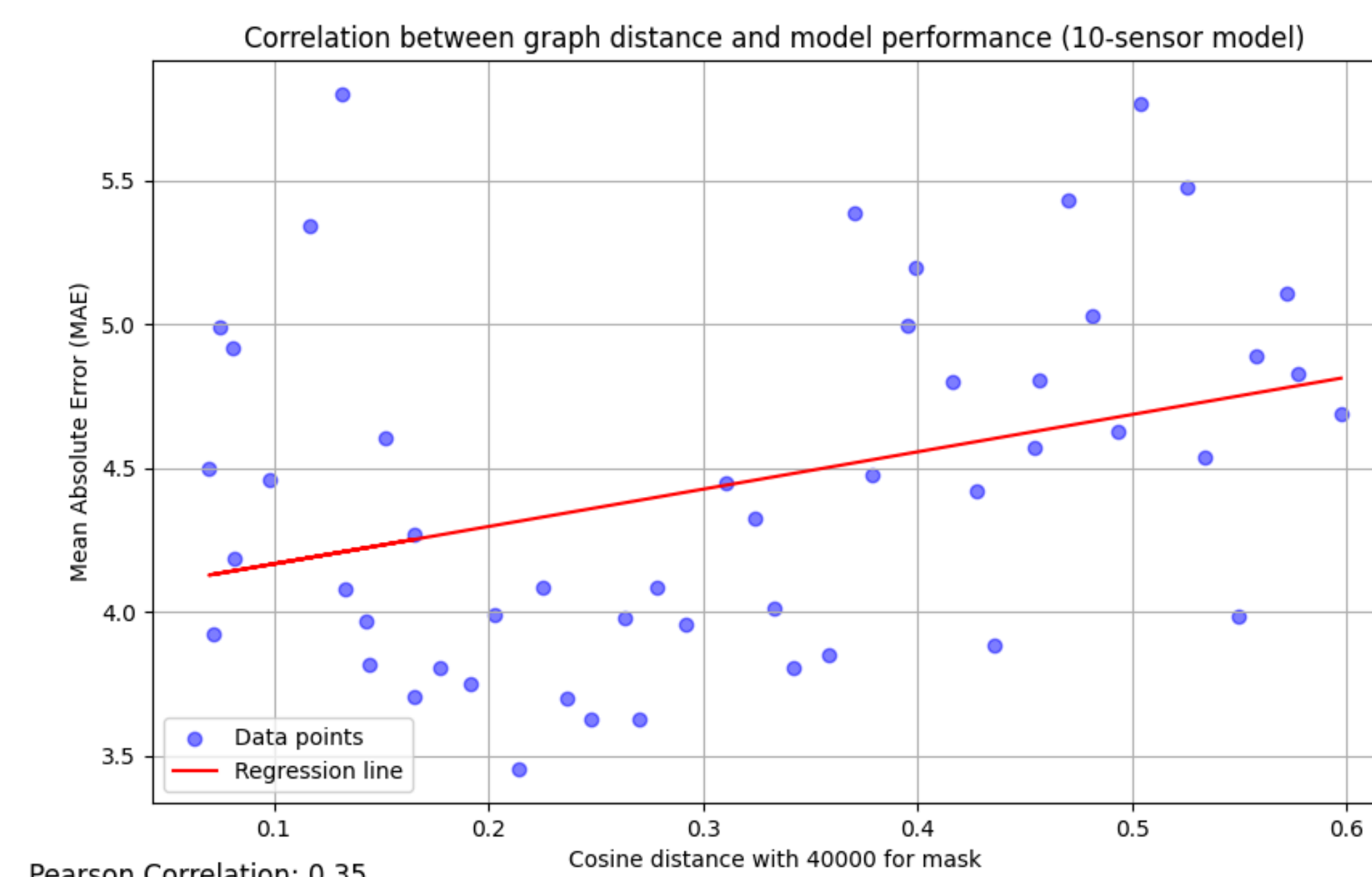


Figure 4: Correlation between graph distance (measured in CosD with mask 40000) and performance of the 10-sensor model

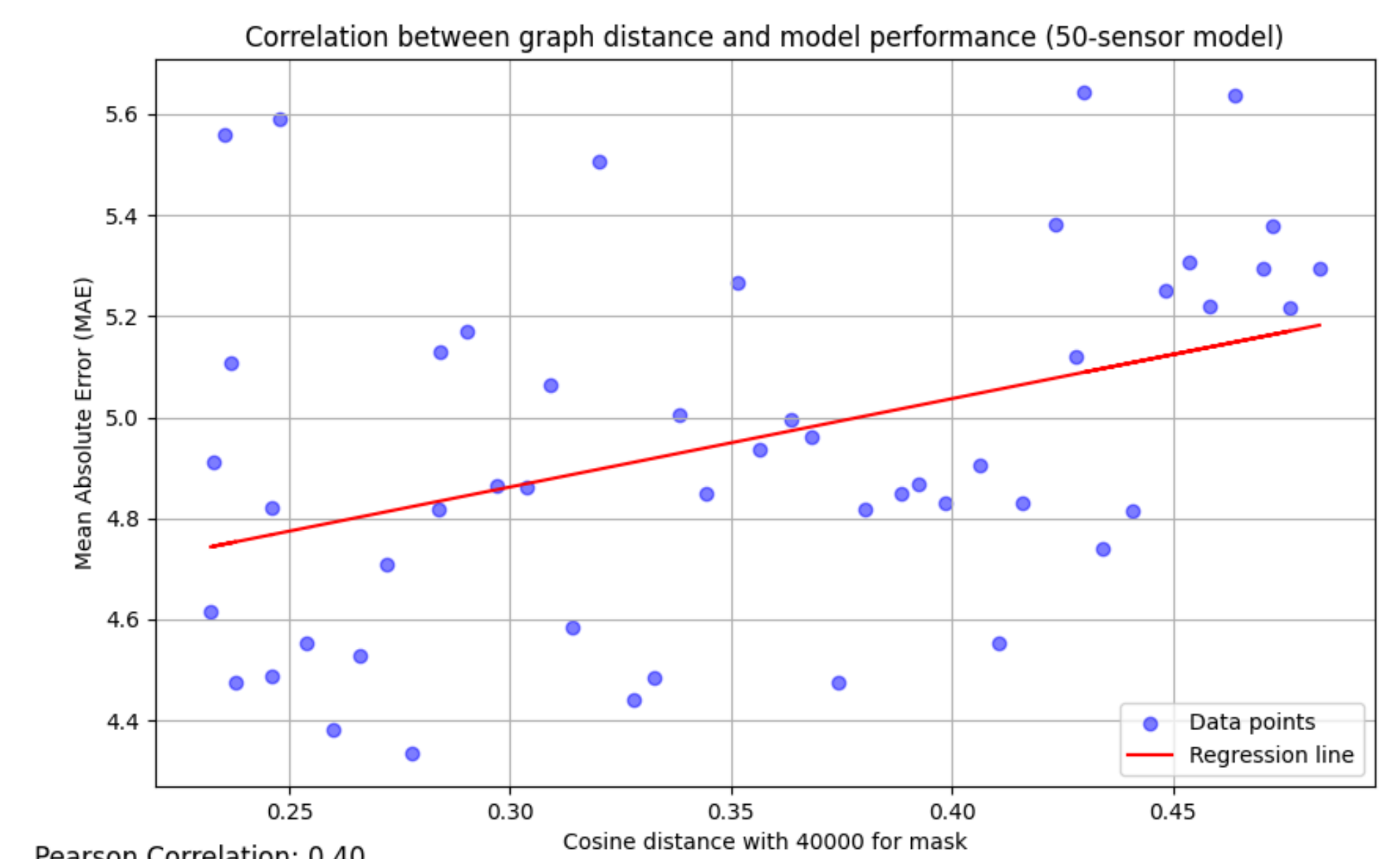


Figure 5: Correlation between graph distance (measured in CosD with mask 40000) and performance of the 50-sensor model

References

- [1] W. Jiang and J. Luo, 'Graph Neural Network for Traffic Forecasting: A Survey', Expert Systems with Applications, vol. 207, p. 117921, Nov. 2022, doi: 10.1016/j.eswa.2022.117921.
- [2] T. Mallick, P. Balaprakash, E. Rask, and J. Macfarlane, 'Transfer Learning with Graph Neural Networks for Short-Term Highway Traffic Forecasting', in 2020 25th International Conference on Pattern Recognition (ICPR), Milan, Italy: IEEE, Jan. 2021, pp. 10367-10374, doi: 10.1109/ICPR48806.2021.9413270.
- [3] Y. Li, R. Yu, C. Shahabi, and Y. Liu, 'Diffusion Convolutional Recurrent Neural Network: Data-Driven Traffic Forecasting', arXiv, Feb. 22, 2018, doi: 10.48550/arXiv.1707.01926.